Operators (2A)

Young Won Lim 10/5/13 Copyright (c) 2013 Young W. Lim.

Permission is granted to copy, distribute and/or modify this document under the terms of the GNU Free Documentation License, Version 1.2 or any later version published by the Free Software Foundation; with no Invariant Sections, no Front-Cover Texts, and no Back-Cover Texts. A copy of the license is included in the section entitled "GNU Free Documentation License".

Please send corrections (or suggestions) to youngwlim@hotmail.com.

This document was produced by using OpenOffice.

Young Won Lim 10/5/13

Terms (1)



Terms (2)



Clause



Facts	A predicate followed by a dot. A functor, an atom		
Rules	J a head :-	A predicate (a functor, an atom)	
	a body .	A sequence of predicates separated by ,'s	

Precedence

Every operator	associated with an integer number [0, 1200]	SWI-prolog		
	higher lower priority priority			
*> 400				
+> 500				
	rinciple functor is an operator en the precedence of an operator			
Else the precedence is defined as 0				
5 + 7 5*5 + 7*7	precedence of 500 precedence of 500			
sqrt(5 + 7)	precedence of 0			
man	precedence of 0			
3 * +(5, 7)	precedence of 400			

Associativity

Infix operators Prefix operators Postfix operators

a - b ≤500 500 < 500

14 - 4 - 2



Left Associative operator



Disjunction Operator

Infix operators Prefix operators Postfix operators

- a, b, c, d
- a, (b, c, d)
- a, (b, (c, d))

Right Associative operator

2 ** 3 ** 4 **5 2 ^ 3 ^ 4 ^5 2 ^ (3 ^ 4 ^5) 2 ^ (3 ^ (4 ^5))

SWI-prolog $\land \rightarrow **$

Right Associative operator



➡ head :- body1 ; body2.

head :- b1 ; b2; b3; b4. head :- (b1 ; (b2; b3; b4)). head :- (b1 ; (b2; (b3; b4))).

Right Associative operator

Young Won Lim 10/5/13

Comma Operator

Comma Sequences

No empty sequence The shortest sequence - one element

:- op(1000, xfy, ',');

?- (H, T) = (1,2,3); H = 1 T = 2, 3, 4 ?- (a) = a. Yes ?- (A,B,C) = (1,2,3,4,5,6). A = 1 B = 2 C = 3,4,5

Right Associative operator



Prolog clauses use comma sequences.

 $(\mathsf{A},\mathsf{B},\mathsf{C})=(1,(2,(3,4,5,6)))$

Negation As Failure

```
bachelor(P) :- male(P), not(married(P)).
```

male(henry).

male(tom).

married(tom).

not not not married(P)
not (not not married(P))
not (not (not married(P)))
not (not (not (married(P)))

Right Associative operator

?- bachelor(<mark>henry</mark>). Yes

?-bachelor(tom). No

?-bachelor(**Who**). **Who**=henry; No

?- not(married(**Who**)). No.

For the variable binding Who=tom, married(Who) succeeds not(married(Who)) fails

Negative goals with variables **cannot** be expected to produce **bindings** of the variables for which the goals fails

NAF (Negation As Failure)

PLANNER

if (not (goal p)), then (assert $\neg p$)

If the goal to prove p fails, then assert ¬p

If NAF used to derive not p (p is assumed not to hold) from failure to derive p

Not p can be different from the statement ¬p of the logical negation of p, depending on the **completeness** of the inference algorithm and thus also on the formal logic system

Prolog

NAF literals of the form of not p can occur in the <u>body of clauses</u>

Can be used to derive other NAF literals

 $p \leftarrow q \land not r$ $q \leftarrow s$ $q \leftarrow t$ t

Infix Operators

INFIX Operators



Prefix & Postfix Operators





POSTFIX Operators



Operator Examples

?- current_op(Precedence, Associativity, *).
Precedence = 400
Associativity = yfx left-associative
Yes

```
?- current_op(Precedence, Associativity, **).
Precedence = 200
Associativity = xfx ; non-associative
No
```

```
?- current_op(Precedence, Associativity, -).
Precedence = 500
Associativity = yfx ; left-associative
Precedence = 500
Associativity = fx ;
No
```

```
?- current_op(Precedence, Associativity, <).
Precedence = 700
Associativity = xfx ; non-associative
No</pre>
```

```
?- current_op(Precedence, Associativity, =).
Precedence = 700
Associativity = xfx ; non-associative
No
```

```
?- current_op(Precedence, Associativity, :-).
Precedence = 1200
Associativity = xfx ; non-associative
Precedence = 1200
Associativity = fx ;
No
```

Operator Examples

:=	xfx, fx	non-associative	Large P
?-	fx	non-associative	
;	xfy	right associative	
,	xfy	right associative	
not	fy	right associative	
is, =, <, etc.	xfx	non-associative	
+, -	yfx, fx	left associative	
*, /	yfx	left associative	
^	xfy	right associative	Small P

References

- [1] U. Endriss, "Lecture Notes : Introduction to Prolog Programming"
- [2] http://www.learnprolognow.org/ Learn Prolog Now!
- [3] http://www.csupomona.edu/~jrfisher/www/prolog_tutorial
- [4] www.cse.unsw.edu.au/~billw/cs9414/notes/prolog/intro.html